

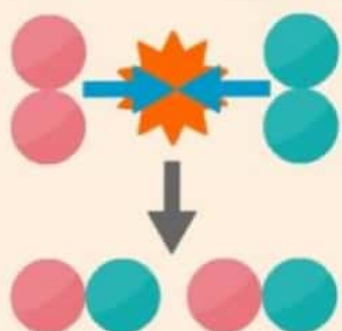
# CHEMICAL KINETICS



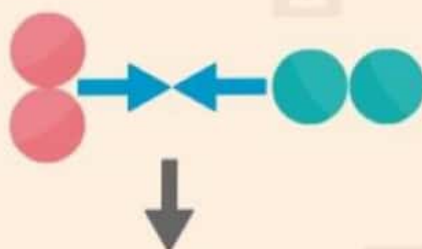
## MAKING CHEMICAL REACTION HAPPEN FASTER

There are a number of different things that we can change to make a chemical reaction faster. Here, we explain the concept of collision theory, and how it can be used to explain the effects of five different factors on the rate of a chemical reaction.

### COLLISION THEORY

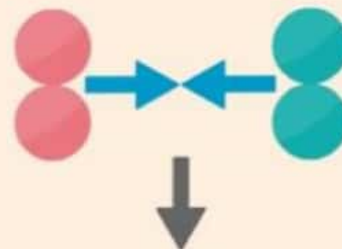


Correct Orientation  
Sufficient Energy



NO RECTION

Wrong Orientation

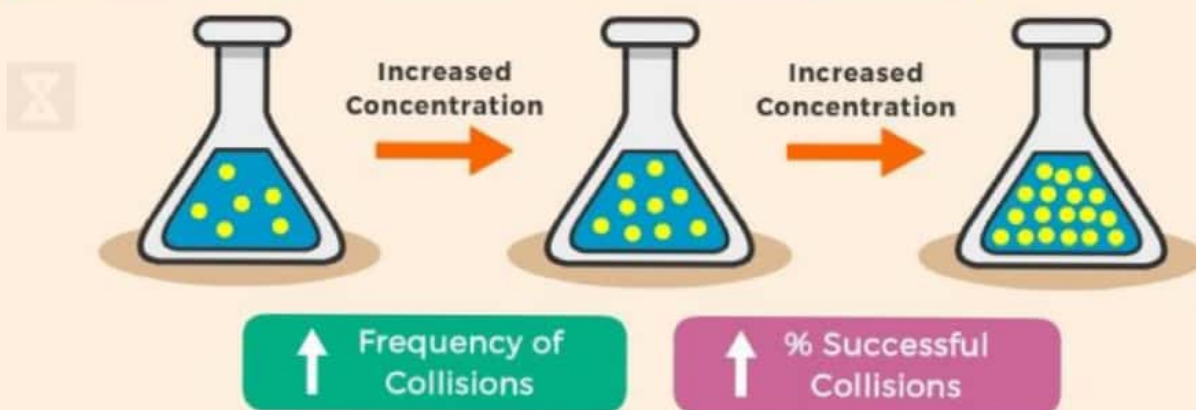


NO RECTION

Insufficient Energy

Collision theory states that for a reaction to occur, particles must collide with the **correct orientation** and with **sufficient energy** for a reaction to occur. Different factors affect the rate of the reaction by affecting the frequency of particle collisions, and the proportion of collisions that have enough energy to react.

### 01 INCREASE CONCENTRATION OF REACTANTS



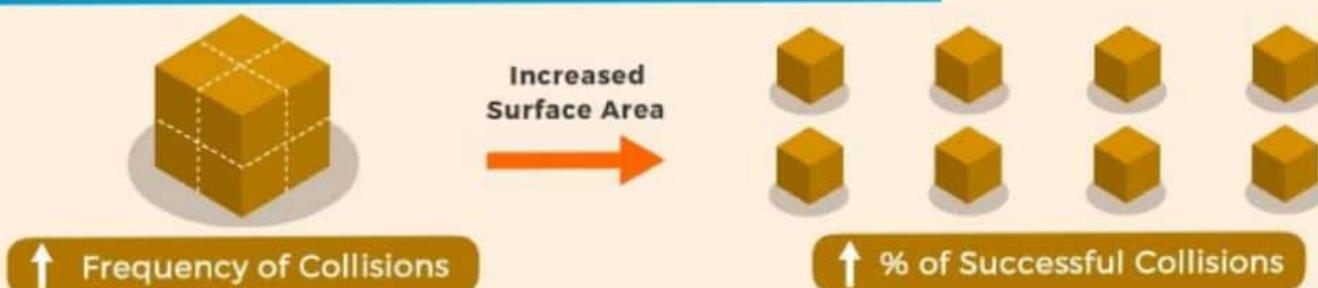
Increasing the concentration of reactants in solution increases the rate of reaction as there are a greater number of particles to react. This increases the frequency of collision between particles.

## 02 INCREASE TEMPERATURE OF REACTION



Increasing the temperature increases the kinetic energy of particles. This increases the frequency of particle collisions and a greater proportion of collisions will have the sufficient energy required to react.

## 03 INCREASE SURFACE AREA OF REACTANTS



Increasing the surface area of solid reactants increases the number of particles that are exposed and available to react and as a consequence this increases the frequency of particle collisions, thus increasing the rate.

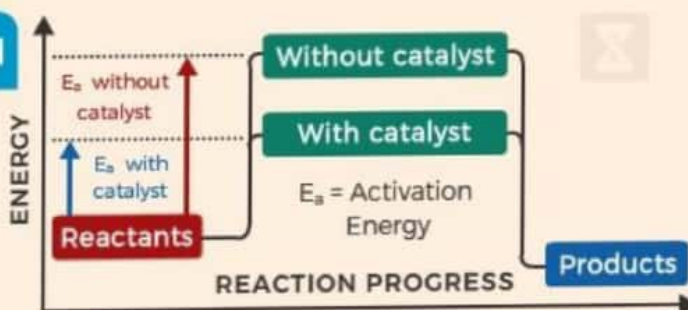
## 04 INCREASES PRESSURE OF REACTION



Increasing the pressure of a reaction involving gases, forces the gas particles closer together. This will increase the frequency of particle collisions and therefore increases the rate of reaction.

## 05 USE A CATALYST IN A REACTION

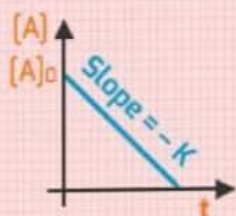
A catalyst provides an alternative route for the reaction with a lower activation energy. This means that particle collisions need less energy in order for a reaction to occur, thus increasing the rate of the reaction.





# ORDER OF REACTION

## Zero Order Reactions



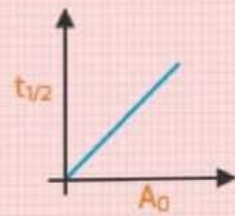
A zero order reaction has a constant rate that is independent of the concentration of the reactant(s); the rate law is simply.

$$\text{Rate} = k$$

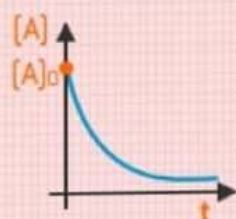
### HALF LIFE ( $t_{1/2}$ )

Time in which half of initial amount is left.

$$t_{1/2} = \frac{[A]_0}{2k}$$



## First Order Reactions

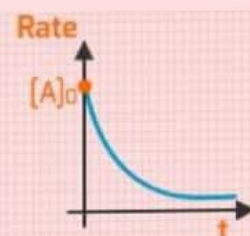


A first-order reaction is a reaction that proceeds at a rate that depends linearly on only one reactant concentration.

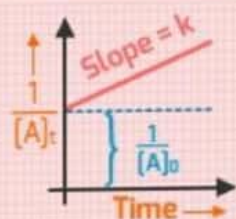
$$k = \frac{2.303}{t} \log \frac{[A]_0}{[A]}$$

### HALF LIFE ( $t_{1/2}$ )

$$t_{1/2} = \frac{0.693}{k} \quad [A] = \frac{[A]_0}{2^n}$$



## Second Order Reactions

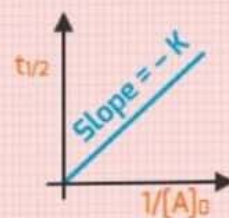


A chemical reaction in which the rate of the reaction is determined by the concentration of two chemical reactants involved or the square of the concentration of one chemical reactant.

$$k = \frac{1/[A] - 1/[A]_0}{t}$$

### HALF LIFE ( $t_{1/2}$ )

$$t_{1/2} = \frac{1}{k[A]_0}$$

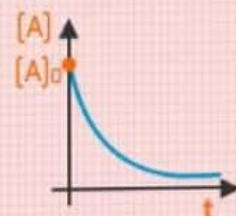


## Pseudo first order reactions

If the concentration of a reactant remains constant (because it is a catalyst or it is in great excess with respect to the other reactants), its concentration can be included in the rate constant, obtaining a pseudo-first-order (or occasionally pseudo-second-order) rate equation.

For example, the hydrolysis of sucrose in acid solution rate  $r = k[\text{sucrose}]$ . The true rate equation is third-order,  $r = k[\text{sucrose}][\text{H}^+][\text{H}_2\text{O}]$ ; however, the concentrations of both the catalyst  $\text{H}^+$  and the solvent  $\text{H}_2\text{O}$  are normally constant, so that the reaction is pseudo-first-order.

## N<sup>th</sup> order reactions



N<sup>th</sup> order reaction is one which proceeds at the rate that depends on concentration of multiple reactants or on multiple steps.

$$k = \frac{1}{(n-1)t} \left[ \frac{1}{[A]_t^{n-1}} - \frac{1}{[A]_0^{n-1}} \right]$$

### HALF LIFE ( $t_{1/2}$ )

$$t_{1/2} = \lim_{x \rightarrow n} \frac{2^{x-1} - 1}{(x-1)k[A]_0^{x-1}}$$

